



## Chapter 2

### Motion Along a Straight Line

•1 During a hard sneeze, your eyes might shut for 0.50 s. If you are driving a car at 90 km/h during such a sneeze, how far does the car move during that time?

••8   *Panic escape.* Figure 2-21 shows a general situation in which a stream of people attempt to escape through an exit door that turns out to be locked. The people move toward the door at speed  $v_s = 3.50$  m/s, are each  $d = 0.25$  m in depth, and are separated by  $L = 1.75$  m. The arrangement in Fig. 2-21 occurs at time  $t = 0$ . (a) At what average rate does the layer of people at the door increase? (b) At what time does the layer's depth reach 5.0 m? (The answers reveal how quickly such a situation becomes dangerous.)

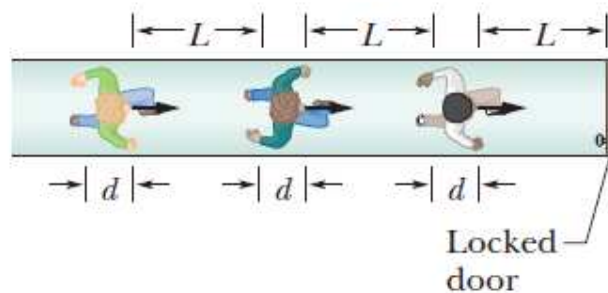

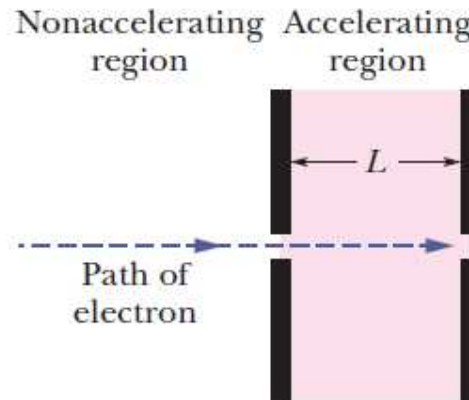


Fig. 2-21 Problem 8.

•14  An electron moving along the  $x$  axis has a position given by  $x = 16te^{-t}$  m, where  $t$  is in seconds. How far is the electron from the origin when it momentarily stops?

•18 The position of a particle moving along an  $x$  axis is given by  $x = 12t^2 - 2t^3$ , where  $x$  is in meters and  $t$  is in seconds. Determine (a) the position, (b) the velocity, and (c) the acceleration of the particle at  $t = 3.0$  s. (d) What is the maximum positive coordinate reached by the particle and (e) at what time is it reached? (f) What is the maximum positive velocity reached by the particle and (g) at what time is it reached? (h) What is the acceleration of the particle at the instant the particle is not moving (other than at  $t = 0$ )? (i) Determine the average velocity of the particle between  $t = 0$  and  $t = 3$  s.

**•23 SSM** An electron with an initial velocity  $v_0 = 1.50 \times 10^5$  m/s enters a region of length  $L = 1.00$  cm where it is electrically accelerated (Fig. 2-23). It emerges with  $v = 5.70 \times 10^6$  m/s. What is its acceleration, assumed constant?




**Fig. 2-23** Problem 23.

**•30** The brakes on your car can slow you at a rate of  $5.2 \text{ m/s}^2$ . (a) If you are going  $137 \text{ km/h}$  and suddenly see a state trooper, what is the minimum time in which you can get your car under the  $90 \text{ km/h}$  speed limit? (The answer reveals the futility of braking to keep your high speed from being detected with a radar or laser gun.) (b) Graph  $x$  versus  $t$  and  $v$  versus  $t$  for such a slowing.

**•45 SSM WWW** (a) With what speed must a ball be thrown vertically from ground level to rise to a maximum height of  $50 \text{ m}$ ? (b) How long will it be in the air? (c) Sketch graphs of  $y$ ,  $v$ , and  $a$  versus  $t$  for the ball. On the first two graphs, indicate the time at which  $50 \text{ m}$  is reached.

**••57** To test the quality of a tennis ball, you drop it onto the floor from a height of  $4.00 \text{ m}$ . It rebounds to a height of  $2.00 \text{ m}$ . If the ball is in contact with the floor for  $12.0 \text{ ms}$ , (a) what is the magnitude of its average acceleration during that contact and (b) is the average acceleration up or down?

**•••62**  A basketball player grabbing a rebound jumps  $76.0 \text{ cm}$  vertically. How much total time (ascent and descent) does the player spend (a) in the top  $15.0 \text{ cm}$  of this jump and (b) in the bottom  $15.0 \text{ cm}$ ? Do your results explain why such players seem to hang in the air at the top of a jump?